ERHS Physics Lab Report

Title: Energy Conservation

- I. Purpose: The purpose of this lab is to determine what percent of potential energy is returned as kinetic energy.
- II. Hypothesis: The percentage of potential energy returned, as kinetic energy will increase as the velocity increases. The potential energy is lost through friction.

III. Method:

A. List of Materials

- 1. wooden cart
- 2. ramp attached to a ladder with eight rungs
- 3. photogate
- 4. meter stick
- 5.data table

B. Procedure

- We measured the height of the ramp at the starting line and then at the finish line. Record.
- 2. Then we set the wooden cart on the ramp and lined the front end up with the ramp.
- 3. We released the cart and recorded the time recorded by the timer.
- Finally we added our data to the class's data table.
- IV. Data (see attached)
- V. Results (see attached)

VI. Conclusions:

The results show that only a percent of potential energy returned as kinetic energy. as the cart's velocity increased, the percent of potential energy increased, to a certain point. The potential energy that was lost was 35% at the most, showing that the majority of energy returned as kinetic energy. These results further validate the Energy-Conservation Theory.

Data:

Level	Height	Height	Time
	(starting	(finish	(in
	line)	line)	seconds)
1	.180 m	.075 m	.082 s
2	.335 m	.111 m	.054 s
3	.481 m	.144 m	.043 s
4	.637 m	.176 m	.037 s
5	.780 m	.210 m	.031 s
6	.932 m	.220 m	.029 s
7	1.07 m	.252 m	.027 s
8	1.24 m	.310 m	.026 s

Results:

✤ Calculation of potential energy, kinetic energy, and percent of kinetic energy returned as kinetic energy: $K_{\rm F} = mv^2$ $P_{\rm E} = mgh$ Percent returned = $K_{\rm E}/P_{\rm E}$ m= mass m= mass v= velocity g= gravity (distance/time) h= height Level 1 $P_E = (1.012 \text{ kg})(-9.8 \text{ m/s})(.075\text{m} - .180\text{m}) = 1.04 \text{ J}$ v = .1m/.082 s = 1.22 m/s $K_{E} = (1/2)(1.012 \text{ kg})(1.22 \text{ m/s})^{2} = .75 \text{ J}$ %= .75 J/ 1.04 J= 72% Level 2 $P_E = (1.012 \text{ kg})(-9.8 \text{ m/s})(.111 \text{ m} - .335 \text{ m}) = 2.22 \text{ J}$ v = .1 m/.054 s = 1.85 m/s $K_E = (1/2)(1.012 \text{ kg})(1.85 \text{m/s})^2 = 1.73 \text{ J}$ % = 1.73 J/2.22 J = 78% Level 3 $P_E = (1.012 \text{ kg})(-9.8 \text{ m/s})(.144 \text{ m} - .481 \text{ m}) = 3.34 \text{ J}$ v = .1m/.043s = 2.33 m/s $K_{E} = (1/2)(1.012 \text{ kg})(2.33 \text{ m/s})^{2} = 2.75 \text{ J}$ % = 2.75 J/3.34 J = 82% Level 4 P_{E} = (1.012 kg)(-9.8 m/s)(.176m-.637m) = 4.57 J v = .1m/.037s = 2.70 m/s $K_{E} = (1/2)(1.012 \text{ kg})(2.70 \text{ m/s})^{2} = 3.69 \text{ J}$ % = 3.69 J/4.57 J = 81% Level 5 $P_E = (1.012 \text{ kg})(-9.8 \text{ m/s})(.210\text{m} - .780\text{m}) = 5.65 \text{ J}$ v = .1m/.031s = 3.23m/s $K_{E} = (1/2)(1.012 \text{ kg})(.3.23 \text{ m/s})^{2} = 5.28$ % = 5.28 J / 5.65 J = 93%Level 6 $P_E = (1.012 \text{ kg})(-9.8 \text{ m/s})(.220\text{m} - .932\text{m}) = 7.06 \text{ J}$ v = .1m/.029s = 3.45 m/s $K_{E} = (1/2)(1.012 \text{ kg})(3.45)^{2} = 6.02 \text{ J}$

%= 6.02 J/7.06 J= 85%

% = 7.50 J/9.22 J = 81%

 $K_{E} = (1/2)(1.012 \text{ kg})(3.85 \text{ m/s})^{2} = 7.50 \text{ J}$

 $\begin{array}{ll} \underline{\text{Level }7} \\ P_E &= (1.012 \text{ kg})(-9.8 \text{ m/s})(.252\text{m}\text{-} 1.07\text{m}) = 8.11 \text{ J} \\ K_E &= (1/2)(1.012 \text{ kg})(3.70 \text{ m/s})^2 = 6.93 \text{ J} \\ \% &= 6.9 \text{ J}/8.11 \text{ J} = 65\% \end{array}$ $\begin{array}{ll} v &= .1\text{m}/.027\text{s} = 3.70 \text{ m/s} \\ \underline{\text{Level }8} \\ P_E &= (1.012 \text{ kg})(-9.8 \text{ m/s})(.310\text{m}\text{-} 1.24\text{m}) = 9.22 \text{ J} \end{array}$ $v &= .1\text{m}/.026\text{s} = 3.85 \text{ m/s} \end{array}$

The results show that most of the potential energy returns as kinetic energy. As a trend, the percent of energy returned increases as the velocity increases until the velocity reached a certain point, 3.45m/s, and then the percent began to decrease. The results are significant because it validates my hypothesis that only a percent of potential energy will return as kinetic energy.